MIPS Instruction formats

R-type format

opcode	rs	rt	rd	shift amt	function
6	5 ∱ src	5 ∳ src	5 ↑ dst	5	6

Used by add, sub etc.

I-type format

opcode	rs	rt	address
6	55 A A base det		16 T offset

Used by Iw (load word), sw (store word) etc

There is one more format: the J-type format. Each MIPS instruction must belong to one of these formats.

The instruction format for jump

J 10000 is represented as

2	10000
6-bits	26 bits

This is the J-type format of MIPS instructions.

Conditional branch is represented using I-type format:



PC + offset determines the branch target.

This is called **PC-relative addressing**.

<u>Revisiting machine language of MIPS</u>

(check out pp 101-105)

Loop:	add	\$†1, \$s3, \$s3	# starts from 80000
	add	\$†1, \$†1, \$†1	
	add	\$†1, \$†1, \$ <i>s</i> 6	
	lw	\$†0,0(\$†1)	
	bne	\$t0, \$s5, Exit	
	add	\$s3, \$s3, \$s4	
	j	Loop	

Exit:

	6	5	5	5	5	6	
80000	0	19	19	9	0	32	R-type
80004	0	9	9	9	0	32	R-type
80008	0	9	22	9	0	32	R-type
80012	35	9	8		0		I-type
80016	5	8	21		2		I-type
80020	0	19	20	19	0	32	R-type
80024	2			20	000		J-type
80028							

MIPS Addressing Modes

What are the different ways to access an operand?

Register addressing

Operand is in register add \$s1, \$s2, \$s3 means \$s1 ← \$s2 + \$s3

Base addressing

Operand is in memory. The address is the sum of a register and a constant. Iw \$s1, 32(\$s3) means $$s1 \leftarrow M[s3 + 32]$

As special cases, you can implement

Direct addressing $\$s1 \leftarrow M[32]$

Indirect addressing $$s1 \leftarrow M[s3]$

Which helps implement pointers.

Immediate addressing

The operand is a constant.

How can you execute $\$s1 \leftarrow 7?$

addi \$s1, \$zero, 7 means \$s1 ← 0 + 7

(add immediate, uses the I-type format)

PC-relative addressing

The operand address = PC + an offset Implements position-independent codes. A small offset is adequate for short loops.

Procedure Call

Main



Uses a stack. What is a stack?

The stack

Occupies a part of the main memory. In MIPS, it grows from high address to low address as you push data on the stack. Consequently, the content of the stack pointer (\$sp) decreases.



Low address

Use of the stack in procedure call

Before the subroutine executes, save registers.

Jump to the subroutine using jump-and-link (jal address)

(jal address means ra \leftarrow PC + 4; PC \leftarrow address)

After the subroutine executes, restore the registers.

Return from the subroutine using jr (jump register)

(jr ra means $PC \leftarrow (ra)$)

<u>Example</u>

```
int leaf (int g, int h, int i, int j)
{
    int f;
    f = (g + h) - (i + j);
    return f;
}
```

The arguments g, h, i, j are put in a0-a3. The result f is put into \$\$0, and returned to \$v0.

The structure of the procedure

subi \$sp, \$sp, 12	# \$sp = \$sp-12, make room
sw \$†1, 8(\$ <i>s</i> p)	# save \$t1 on stack
sw \$†0, 4(\$sp)	# save \$t0 on stack
sw \$s0, 0(\$sp)	# save \$s0 on stack
	subi \$sp, \$sp, 12 sw \$t1, 8(\$sp) sw \$t0, 4(\$sp) sw \$s0, 0(\$sp)

Now we can use the registers \$t1, \$t0, \$s0 in the body of the procedure.

add \$t0, \$a1, \$a2	# \$t0 = g + h
add \$ †1, \$a2, \$a3	# \$†1 = i + j
sub \$s0, \$t0, \$t1	# \$s0 = (g + h) - (i + j)

Return the result into the register \$v0.

add \$v0, \$s0, \$zero # returns f = (g+h)-(i+j) to \$v0



Low





Now restore the old values of the registers by popping the stack.

lw \$ <i>s</i> 0, 0(\$ <i>s</i> p)	# restore \$s0
lw \$t0, 4(\$sp)	<pre># restore \$t0</pre>
lw \$†1, 8(\$ <i>s</i> p)	# restore \$t1
addi \$sp, \$sp, 12	# adjust \$sp

Finally, return to the main program.

jr \$ra **# return to caller**.

<u>A recursive procedure</u>

Example. Compute factorial (n)

```
int fact (int n)
{
    if (n < 1) return (1);
        else return (n * fact(n-1))
}</pre>
```

(Plan) Put n in \$a0. Result should be available in \$v0.

fact: sub \$sp, \$sp, 8

sw \$ra, 4(\$sp)

sw \$a0,0(\$sp)





Now test if n < 1 (i.e. n = 0). In that case return 0 to \$v0

	slti	\$t0, \$a0, 1	# if $n \ge 1$ then goto L1
	beq	\$t0, \$zero, L1	
	addi	\$v0,\$zero,1	# return 1 to \$v0
	addi	\$sp, \$sp, 8	# pop 2 items from stack
	jr	\$ra	# return
L1:	subi	\$a0, \$a0, 1	# decrement n
	jal	fact	# call fact with (n - 1)

Now, we need to compute n * fact (n-1)

lw	\$a0,0(\$sp)	# restore argument n
lw	\$ra, 4(\$sp)	# restore return address
addi	\$ <i>s</i> p, \$ <i>s</i> p, 8	# pop 2 items
mult	•\$v0,\$a0,\$v0	# return n * fact(n-1)
jr	\$ra	# return to caller