Introduction

- Models and complexity measures [18], (Chapters 1-2).
- Some simple examples: broadcast and convergecast [18], (Chapter 3).

Coloring and Maximal Independent Set (MIS).

- Deterministic 3-coloring of oriented trees in $O(\log^* n)$ rounds [18] (Chapter 7).
- Deterministic $(\Delta + 1)$-coloring of graphs in $O(\log^* n + 2^{2\Delta})$ rounds [18], (Chapter 7).
- Deterministic $(\Delta + 1)$-coloring of graphs in $O(\log^* n + \Delta^2)$ rounds [15].
- Randomized $(\Delta + 1)$-coloring of graphs in $O(\log n)$ rounds [9, 16]
- An $\Omega(\log^* n)$ lower bound on 3-coloring a ring [18] (Chapter 7), [15].
- Stronger lower bounds on distributed vertex coloring [13].
- Connections between coloring and MIS [18], (Chapter 8).
- Luby's randomized algorithm for MIS [18] (Chapter 8).
- Deterministic MIS for unit ball graphs (UBGs) in doubling metric spaces in $O(\log^* n)$ rounds. [11].
- MIS for growth-bounded graphs in $O(\log \Delta \cdot \log^* n)$ rounds. [10].
- Distributed edge coloring [7].
- Network decomposition and connection to MIS and coloring [18] (Chapter 22), [1].

Minimum Spanning Trees (MST).

- Distributed MST construction [5].
- Distributed MST construction in sublinear time [18] (Chapter 24), [6, 14].
- Near optimal lower bounds on MST construction [18] (Chapter 24), [19].

Distributed Approximation Algorithms [3].

- Distributed $O(\log n)$-approximation of minimum dominating set (MDS) in polylogarithmic number of rounds [8].
- Extensions to weakly connected dominating sets [2].
- Distributed approximation for MDS in constant rounds [12].
- Distributed facility location [17].
- Time-approximation trade-offs for approximating an MST [4].

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