

Use Cramer's rule to solve the following system of equations for  $x$ :

$$\begin{aligned} 22x - 4y &= -38 \\ -5x + 1y &= 9 \end{aligned}$$

- A. -4
- B. -3
- C. -2
- D. -1
- E. 0
- F. 1
- G. 2
- H. 3
- I. 4
- J. none of the above

2. (1 pt) Library/ma112DB/set12/sw7\_6\_33.pg  
Use Cramer's rule to solve the system

$$\begin{aligned} x - y + 2z &= -6 \\ 3x + z &= -2 \\ -x + 2y &= 4 \end{aligned}$$

$x =$  \_\_\_\_\_  
 $y =$  \_\_\_\_\_  
 $z =$  \_\_\_\_\_

3. (1 pt) Library/Rochester/setLinearAlgebra6Determinants-  
/ur.la.6.24.pg

Let  $A = \begin{bmatrix} -1 & 3 \\ 2 & -5 \end{bmatrix}$ .

Find the following:

(a)  $\det(A) =$  \_\_\_\_\_,

(b) the matrix of cofactors  $C = \begin{bmatrix} \_\_\_\_ & \_\_\_\_ \\ \_\_\_\_ & \_\_\_\_ \end{bmatrix}$ ,

(c)  $\text{adj}(A) = \begin{bmatrix} \_\_\_\_ & \_\_\_\_ \\ \_\_\_\_ & \_\_\_\_ \end{bmatrix}$ ,

(d)  $A^{-1} = \begin{bmatrix} \_\_\_\_ & \_\_\_\_ \\ \_\_\_\_ & \_\_\_\_ \end{bmatrix}$ .

4. (1 pt) Library/Rochester/setLinearAlgebra6Determinants-  
/ur.la.6.26.pg

Let  $A = \begin{bmatrix} -5e^{3t} & -4e^{4t} \\ 2e^{3t} & 3e^{4t} \end{bmatrix}$ .

Find the following:

(a)  $\det(A) =$  \_\_\_\_\_,

(b) the matrix of cofactors  $C = \begin{bmatrix} \_\_\_\_ & \_\_\_\_ \\ \_\_\_\_ & \_\_\_\_ \end{bmatrix}$ ,

(c)  $\text{adj}(A) = \begin{bmatrix} \_\_\_\_ & \_\_\_\_ \\ \_\_\_\_ & \_\_\_\_ \end{bmatrix}$ ,

(d)  $A^{-1} = \begin{bmatrix} \_\_\_\_ & \_\_\_\_ \\ \_\_\_\_ & \_\_\_\_ \end{bmatrix}$ .

5. (1 pt) Library/Rochester/setLinearAlgebra6Determinants-  
/ur.la.6.25.pg

Let  $A = \begin{bmatrix} -2 & -2 & 1 \\ -1 & 1 & -2 \\ 1 & 2 & -1 \end{bmatrix}$ .

Find the following:

(a)  $\det(A) =$  \_\_\_\_\_,

(b) the matrix of cofactors  $C = \begin{bmatrix} \_\_\_\_ & \_\_\_\_ & \_\_\_\_ \\ \_\_\_\_ & \_\_\_\_ & \_\_\_\_ \\ \_\_\_\_ & \_\_\_\_ & \_\_\_\_ \end{bmatrix}$ ,

(c)  $\text{adj}(A) = \begin{bmatrix} \_\_\_\_ & \_\_\_\_ & \_\_\_\_ \\ \_\_\_\_ & \_\_\_\_ & \_\_\_\_ \\ \_\_\_\_ & \_\_\_\_ & \_\_\_\_ \end{bmatrix}$ ,

(d)  $A^{-1} = \begin{bmatrix} \_\_\_\_ & \_\_\_\_ & \_\_\_\_ \\ \_\_\_\_ & \_\_\_\_ & \_\_\_\_ \\ \_\_\_\_ & \_\_\_\_ & \_\_\_\_ \end{bmatrix}$ .

6. (1 pt) Library/Rochester/setLinearAlgebra11Eigenvalues-  
/ur.la.11.17.pg

The matrix  $A = \begin{bmatrix} 11 & -2 \\ 2 & 7 \end{bmatrix}$

has one eigenvalue of multiplicity 2. Find this eigenvalue and the dimension of the eigenspace.

eigenvalue = \_\_\_\_\_,

dimension of the eigenspace = \_\_\_\_\_.

7. (1 pt) Library/Rochester/setLinearAlgebra11Eigenvalues-  
/ur.la.11.18.pg

The matrix  $A = \begin{bmatrix} -1 & 0 & 0 \\ 0 & -1 & 0 \\ 2 & 0 & -1 \end{bmatrix}$

has one real eigenvalue. Find this eigenvalue and a basis of the eigenspace.

eigenvalue = \_\_\_\_\_,

Basis:  $\begin{bmatrix} \_\_\_\_ \\ \_\_\_\_ \\ \_\_\_\_ \end{bmatrix}, \begin{bmatrix} \_\_\_\_ \\ \_\_\_\_ \\ \_\_\_\_ \end{bmatrix}$ .

8. (1 pt) Library/Rochester/setLinearAlgebra11Eigenvalues-  
/ur.la.11.19.pg

The matrix  $A = \begin{bmatrix} 0 & 0 & 0 \\ -5 & 5 & 0 \\ 5 & -5 & 0 \end{bmatrix}$

has two real eigenvalues, one of multiplicity 1 and one of multiplicity 2. Find the eigenvalues and a basis of each eigenspace.  
 $\lambda_1 =$  \_\_\_\_\_ has multiplicity 1,

Basis:  $\begin{bmatrix} \text{---} \\ \text{---} \\ \text{---} \end{bmatrix}$ ,  
 $\lambda_2 = \text{---}$  has multiplicity 2,  
 Basis:  $\begin{bmatrix} \text{---} \\ \text{---} \\ \text{---} \end{bmatrix}$ ,  $\begin{bmatrix} \text{---} \\ \text{---} \\ \text{---} \end{bmatrix}$ .

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