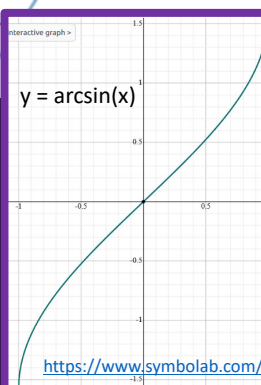
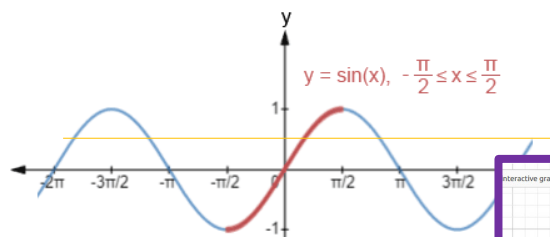


Arcsin

<https://www.math.net/arcsin>

Arcsine, written as \arcsin or \sin^{-1} (not to be confused with $\frac{1}{\sin(x)}$), is the inverse [sine](#) function. Sine only has an inverse on a restricted domain, $-\frac{\pi}{2} \leq x \leq \frac{\pi}{2}$. In the figure below, the portion of the graph highlighted in red shows the portion of the graph of $\sin(x)$ that has an inverse.



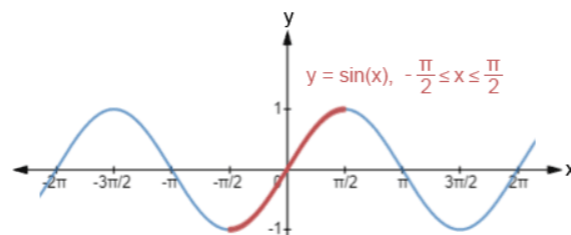
Ex: If $\sin(x) = 0$,
then $x = \arcsin(0) + k\pi = k\pi$

Ex: If $\sin(x) = 1/2$, then since $\arcsin(1/2) = \pi/6$
 $x = \pi/6 + 2\pi k = \arcsin(1/2) + 2\pi k$ or
 $x = 5\pi/6 + 2\pi k = (\arcsin(1/2) + 4\pi/6) + 2\pi k$
 $= (\pi - \pi/6) + 2\pi k = (\pi - \arcsin(1/2)) + 2\pi k$

25

Arcsin

Arcsine, written as \arcsin or \sin^{-1} (not to be confused with $\frac{1}{\sin(x)}$), is the inverse [sine](#) function. Sine only has an inverse on a restricted domain, $-\frac{\pi}{2} \leq x \leq \frac{\pi}{2}$. In the figure below, the portion of the graph highlighted in red shows the portion of the graph of $\sin(x)$ that has an inverse.



If $\sin(x) = z$, then

$$x = \arcsin(z) + 2\pi k \quad \text{or} \quad x = (\pi - \arcsin(z)) + 2\pi k$$

Note: you have $\sin(ay)$, not $\sin(x)$.

26