

# 22C:060: Computer Organization

Spring 2010

## Assignment 4

Total points = 50

Assigned March 25, due April 1, 2010, 11:59:59 PM

### Instructions to prepare and submit your homework

1. Explain the general plan of the program in Q. 1 using a **readme** file
2. Be generous about using comments to improve readability.
3. To submit, *zip* (or *tar*) all files into a single file, and drop it to ICON drop box

**Question 1.** (40 points) Create an exponent function: float **exp (float x)** that accepts an input *x* from the user, and returns  $e^x$ , (using the MIPS floating point co-processor). Recall that  $e = 2.71828183\dots$ . Use *Taylor Series* expansion to compute the exponential function:

$$e^x \approx 1 + x + (x^2)/2! + (x^3)/3! + \dots + (x^{10})/10!$$

(It is an infinite series, but you can stop after computing up to the 10<sup>th</sup> term)

To facilitate this, you may create two functions, *power* and *factorial*, that may have the signatures: float *power* (float *x*, int *n*) and int *factorial* (int *n*). Here, *power* (*x*, *n*) would return  $x^n$  for  $n \geq 0$  and *factorial* *n* will return  $n!$ . For computing the factorial, you may write either a recursive program or a simple iterative program.

A helpful SPIM instruction is *cvt.s.w Fd Fs* that converts an *integer* in the source register *Fs* to a *single precision floating-point number* in the destination register *Fd*. Here is an example of its usage:

```
mtc1 $v0, $f1    # move to register $f1 (in coprocessor C1) from register $v0
cvt.s.w $f1, $f1  # convert the integer in $f1 to single precision floating point format
div.s $f0, $f0, $f1 # divide $f0 by $f1 and store the result in $f0
```

Here is another example of a program that computes the polynomial  $ax^2 + bx + c$

```

## float1.s -- compute  $ax^2 + bx + c$  for user-input x
    .text
    .globl main
##
    # Register Use Chart
    # $f0 -- x
    # $f2 -- sum of terms

main:    # read input
    la    $a0,prompt    # prompt user for x
    li    $v0,4          # print string
    syscall
    li    $v0,6          # read single
    syscall              # $f0 <-- x

    # evaluate the quadratic
    l.s   $f2,a          # sum = a
    mul.s $f2,$f2,$f0    # sum = ax
    l.s   $f4,b          # get b
    add.s $f2,$f2,$f4    # sum = ax + b
    mul.s $f2,$f2,$f0    # sum = (ax+b)x =  $ax^2 + bx$ 
    l.s   $f4,c          # get c
    add.s $f2,$f2,$f4    # sum =  $ax^2 + bx + c$ 

    # print the result
    mov.s $f12,$f2      # $f12 = argument
    li    $v0,2          # print single
    syscall

    la    $a0,newl      # new line
    li    $v0,4          # print string
    syscall

    li    $v0,10         # code 10 == exit
    syscall              # Return to OS.

## Data Segment
## .data
a:    .float 1.0
b:    .float 1.0
c:    .float 1.0
prompt: .asciiz "Enter x: "
blank: .asciiz " "
newl: .asciiz "\n"

```

A summary of some useful floating point instructions is available in Appendix B of your textbook.

**Question 2.** (10 points) Let X, Y, Z, be three D-flip-flops, each storing a single bit. Draw a circuit so that by applying a single pulse in the clock line, the following operation can be performed:

**if** X= 0 **then** Y:= Z **else** Z:= Y

Briefly explain why your circuit will work.