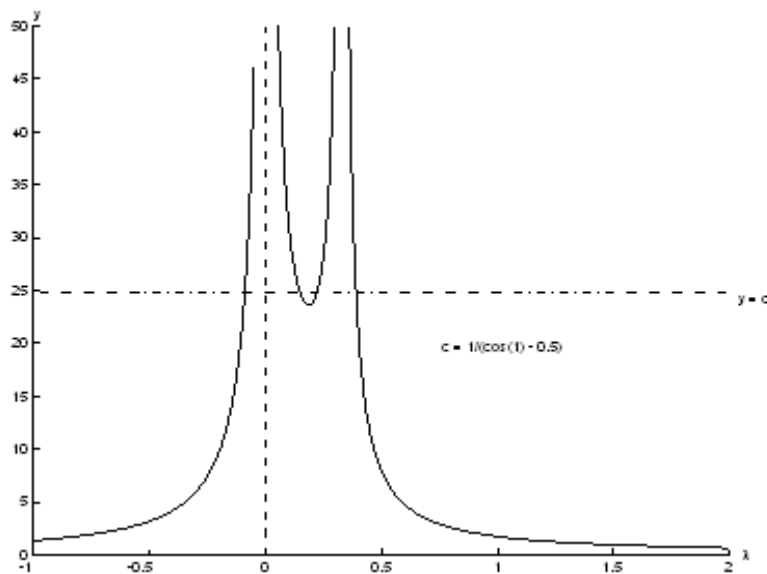


CORRECTIONS TO
Theoretical Numerical Analysis

| Page | Line | Change |
|------|----------------|---|
| 10 | -12 | Change “bounded functions” to “continuous functions” |
| 11 | 4 | Change “bounded functions” to “continuous functions” |
| 15 | 6 | Change $\ v\ _{p,\infty}$ to $\ v\ _{\infty,w}$ |
| 23 | -9 | angle between two vectors u and v in a real space V as follows: |
| 46 | Exercise 2.2.5 | Rewrite it as follows: |

Exercise 2.2.5 Let a linear operator $L : V \rightarrow W$ be nonsingular and map V onto W . Show that for each $f \in W$, the equation $Lu = f$ has a unique solution $u \in V$.

| Page | Line | Change |
|------|------------|--|
| 50 | -3 | Change “ \leq ” to “ $<$ ” |
| 53 | 6 | Change to “ $v(x) = \frac{1}{\lambda} [f(x) + cx]$ ” |
| 54 | Figure 2.1 | The graph is incorrect; following is the correct graph |



| Page | Line | Change |
|------|----------------|---------------------------------------|
| 62 | Exercise 2.4.4 | Append the following to the exercise. |

More precisely, show that

$$\sup_{v, \tilde{v}} \left[\frac{\|v - \tilde{v}\|}{\|v\|} \div \frac{\|w - \tilde{w}\|}{\|w\|} \right] = \|L\| \|L^{-1}\|$$

| Page | Line | Change |
|------|----------------|---------------------------------------|
| 71 | Exercise 2.6.2 | Change the exercise to the following: |

Exercise 2.6.2 Define $K : L^2(0, 1) \rightarrow L^2(0, 1)$ by

$$Kf(x) = \int_0^x k(x, y)f(y)dy, \quad 0 \leq x \leq 1, \quad f \in L^2(0, 1),$$

with $k(x, y)$ continuous for $0 \leq y \leq x \leq 1$. Show K is a bounded operator. What is K^* ? To what extent can the assumption of continuity of $k(x, y)$ be made less restrictive?

| Page | Line | Change |
|------|---------------------------|---|
| 104 | 9 | $ L_nv - Lv \leq ch^2 \ v''\ _{L^1(a,b)}$ |
| 117 | 3 | $f(x) = \frac{a_0}{2} + \sum_{j=1}^{\infty} [a_j \cos(jx) + b_j \sin(jx)]$ |
| 124 | Exercise 3.5.2 | Change " $P\varphi_j = 0$ " to " $(x, \varphi_j) = 0$ " |
| 126 | 14 | Change " $n \geq 1$ " to " $n > k$ " |
| 127 | 9 | change "and if $x \notin$ " to "and if $\theta \notin$ " |
| 127 | 10 | $D_n(\theta) = \frac{\sin(n + \frac{1}{2})\theta}{\sin \frac{1}{2}\theta}$ |
| 134 | Exercise 4.1.2 | Include the assumption that T is continuous |
| 134 | Exercise 4.1.2 | Change "coverges" to "converges" |
| 145 | Exercise 4.2.8, line 4 | where g is continuous, $h \in L^1(a, b)$, and $h(t) \geq 0$ a.e. Show that |
| 150 | 1 | "Assume U and V are real Banach spaces. Let $F : K \subseteq$ " |
| 153 | -1 | $f(x_1, x_2) = \begin{cases} \frac{x_1 x_2^3}{x_1^2 + x_2^6}, & \text{if } (x_1, x_2) \neq (0, 0), \\ 0, & \text{if } (x_1, x_2) = (0, 0). \end{cases}$ |
| 154 | Exercise 4.3.7 | Change " $p \geq 2$ " to " $p \geq 1$ " |
| 154 | Exercise 4.3.9 | Let $A \in \mathcal{L}(V)$ be self-adjoint, V being a real Hilbert space. Define |
| 201 | 8 | Change "Lebegue" to "Lebesgue" |
| 209 | -1 | Change $\frac{p}{d}$ to $\frac{d}{p}$ |
| 210 | 3 | Change $\frac{p}{d}$ to $\frac{d}{p}$ |
| 211 | -13 | Change "Beore" to "Before" |
| 212 | 5 | Change " $\ u\ _{k,p,\Omega}$ " to " $\ v\ _{k,p,\Omega}$ " |
| 353 | Table 11.1 | The first two entries for n should be 2 and 4 |
| 397 | 13 | "Since the collocation solution satisfies $u_n = P_n \hat{u}_n, \dots$ " |